

> restart;with(Riemann):with(TensorPack): with(Canon):CDF(0): CDS(index):

Chapter XX Tensor analysis using indices - Senovilla et al. - Shearfree for acceleration parallel to vorticity if $\sigma_{ab}=0 \Rightarrow \omega \Theta = 0$

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eq67

> read "EFE" : read "SFE" :read "fids" :read "Seneqs80" :

proof of eq67:

> eq[67] := P[-a,-b]*omega[b,d,-D] = - $\frac{2 \cdot p' \cdot \theta \cdot \omega[a]}{\Psi}$: T(%);

$$P_{ab} \omega^{bd}{}_{;d} = - \frac{2 p' \theta \omega^a}{\Psi} \quad (1.1)$$

proof: this is a simple substitution for P[a,b] and eq64 into eq60

We commence with eqs61 and 64

> eq[60] : T(%);

$$P_{ab} \omega^{bd}{}_{;d} = - \frac{2 p' \theta \omega_a}{\Psi} - \frac{\Psi^{;d} \omega_{ad}}{\Psi} \quad (1.2)$$

> eq[64] : T(%);

$$\omega^{ab} \Psi_{;b} = 0 \quad (1.3)$$

> temp := subs(a=-a, b=-d, B=-D, eq[64]) : T(%);

$$\omega_{ad} \Psi^{;d} = 0 \quad (1.4)$$

> temp2 := TEDS(temp, eq[60]) : T(%);

$$P_{ab} \omega^{bd}{}_{;d} = - \frac{2 p' \theta \omega_a}{\Psi} \quad (1.5)$$

> temp5 := convert(temp2, string) : T(%)

$$"P[-a,-b]*omega[b,d,-D] = -2*p'*theta*omega[-a]/Psi" \quad (1.6)$$

> eq[67] := parse("P[-a,-b]*omega[b,d,-D] = -2/psi^2*Psi*p'*theta*omega[-a]") : T(%);

$$P_{ab} \omega^{bd}{}_{;d} = - \frac{2 \Psi p' \theta \omega_a}{\Psi^2} \quad (1.7)$$

>

which is eq66